

# TEST REVIEW VOLUME (Mod 18)

1.) How can we use volume in the real world?

- **IN OUR DAILY LIVES:**

Warehouse space

Truck space

Recipes

Gas tanks

Drink cans/bottles

Cleaners for Washing Machines, Pools etc.

- **IN SCIENCE**

Measuring Liquids, Solids or Gas

Density

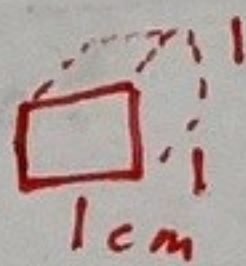
2.) How do we find the volume of composite figures?

- Divide the figures into ~~many~~ cubes, pyramids, cones, cylinders, spheres.

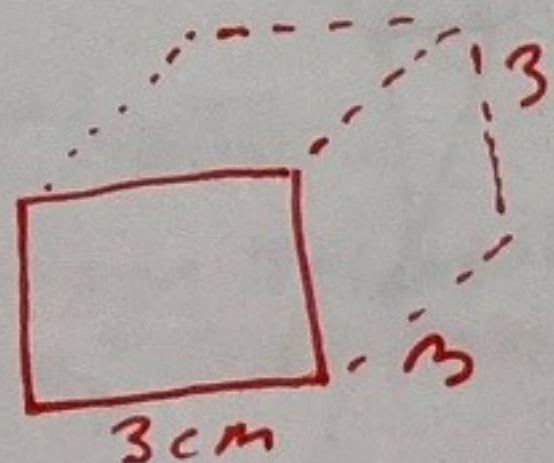
- Add or subtract

3.)

~~What is the volume of the figure?~~  
Your ice cubes are really small, 1cm for each side. What happens with the volume if you make the sides 3 times as long? Explain.



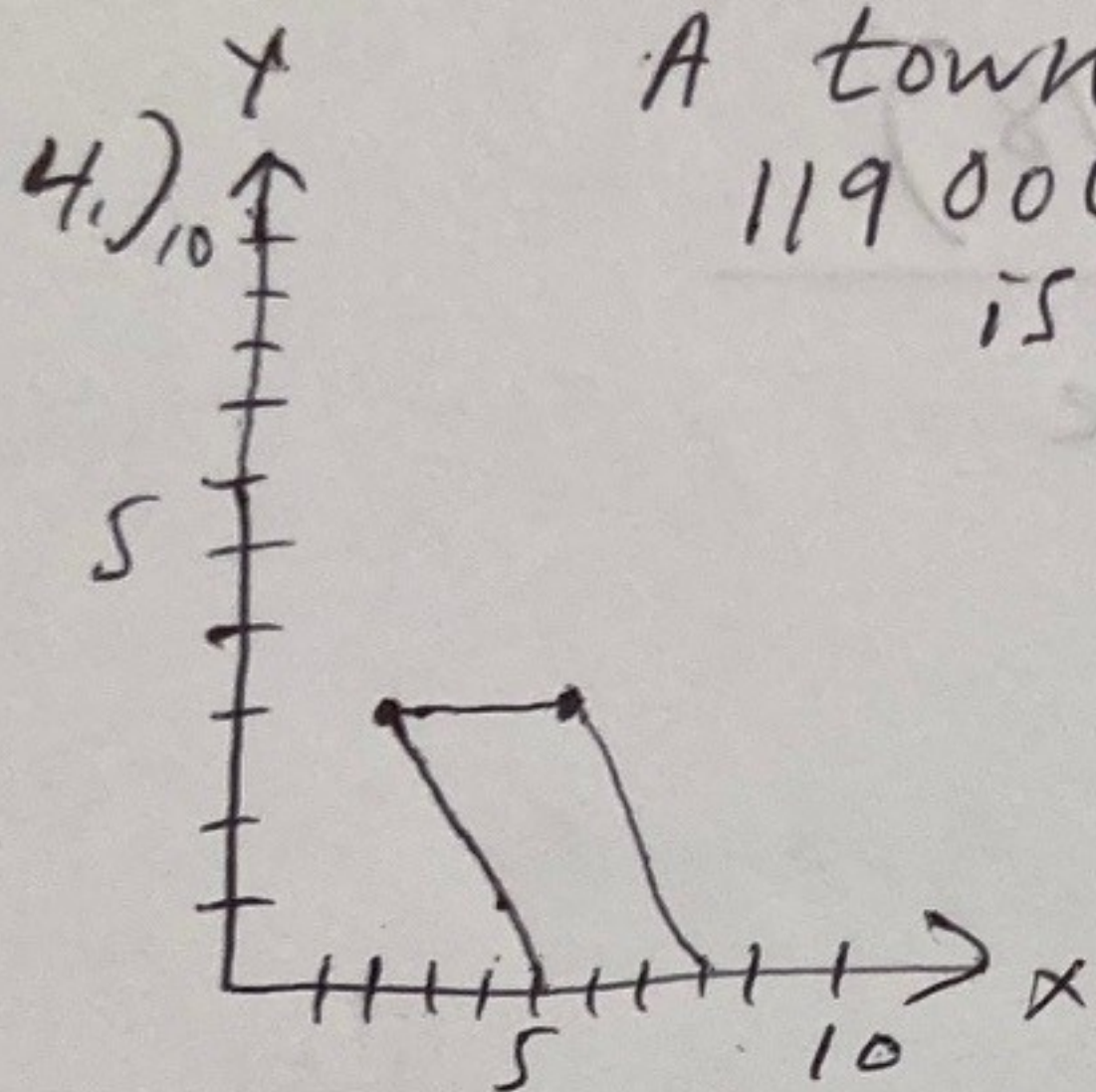
$$1 \cdot 1 \cdot 1 = 1 \text{ cm}^3$$



$$3 \cdot 3 \cdot 3 = 27 \text{ cm}^3$$

So volume increase  $3^3 = 27$  times





A town has a population of 119 000. Each unit of the grid is one mile.

What is the population density?

Height  $\cdot$  Base

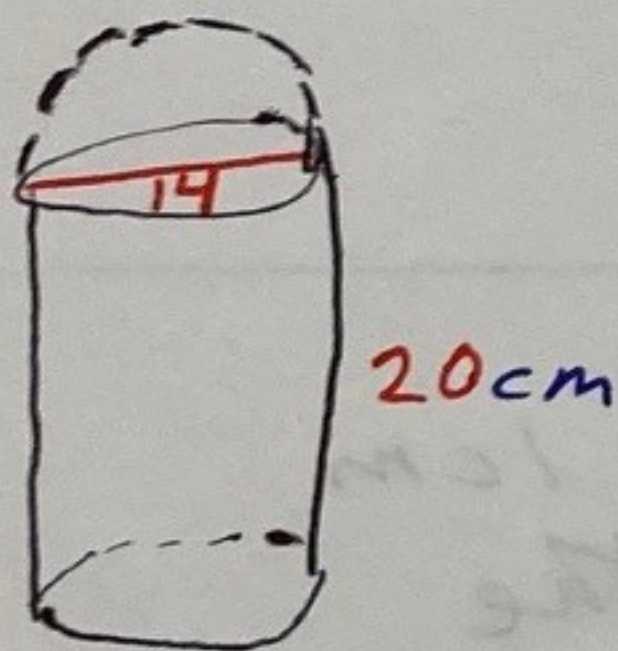
$$3 \cdot 3 = 9 \text{ mi}^2$$

(9 square miles)

Population Density:

$$\frac{119\,000}{9} = 13\,222 \frac{2}{9} \text{ mi}^2$$

5.) What is the volume of the figure?



Volume of hemisphere:

$$V = \frac{2}{3} \cdot 3.14 \cdot 7^3 \leftarrow \left( \frac{2}{3} \cdot \pi \cdot r^3 \right)$$

$$V \approx 722 \text{ cm}^3$$

Volume of cylinder:

$$V = \pi \cdot r^2 \cdot h$$

$$V = 3.14 \cdot 49 \cdot 20$$

$$V \approx 3077$$

Total volume:

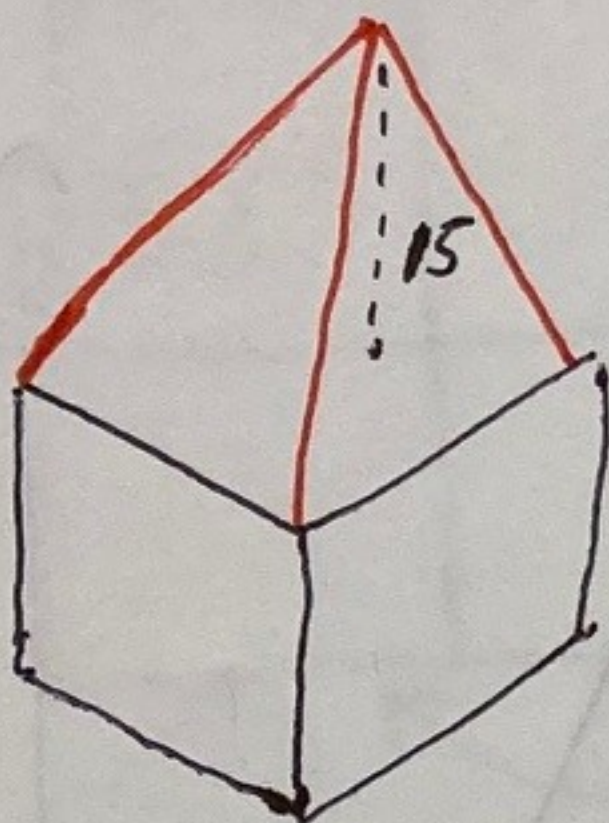
$$722 + 3077 = 3799 \text{ cm}^3$$



# TEST REVIEW VOLUME (Mod 18)

6.) What is the volume of the composite figure? (Pyramid on top of a cube)

The base area of both the cube and the pyramid is  $100 \text{ cm}^2$ .



If the area is 100, then the cube sides must all be 10.

$$\text{Cube: } V = s^3 = 10 \cdot 10 \cdot 10 = 1000 \text{ cm}^3$$

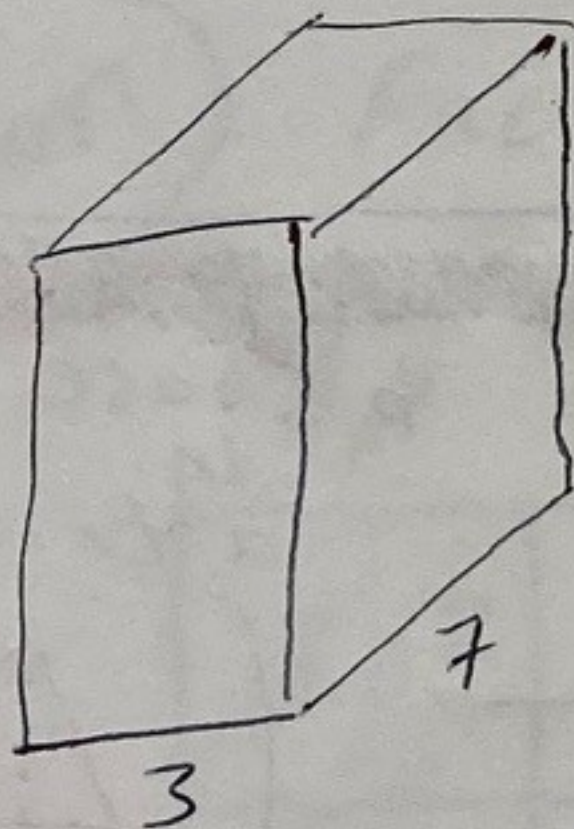
$$\text{Pyramid: } V = \frac{1}{3} Bh$$

$$V = \frac{1}{3} \cdot 100 \cdot 15$$

$$V = 500 \text{ cm}^3$$

$$\text{Total volume: } 1000 + 500 = 1500 \text{ cm}^3$$

7.) The volume of <sup>(a)</sup>rectangular prism is  $252 \text{ cm}^3$ . What is the height?



$$V = Bh$$

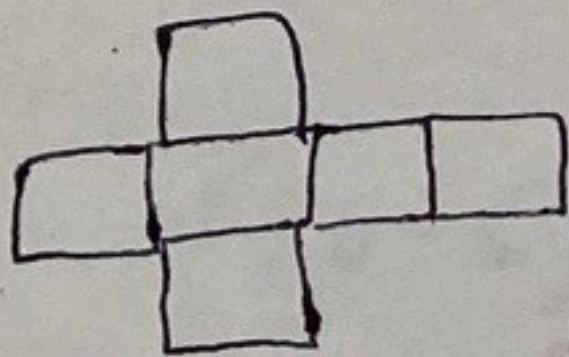
$$252 = \underline{3 \cdot 7} \cdot h$$

$$252 = \underline{21} h$$

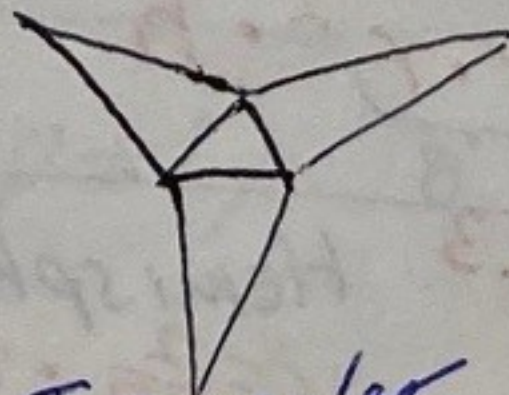
$$\underline{21} \quad \underline{21}$$

$$12 = h$$

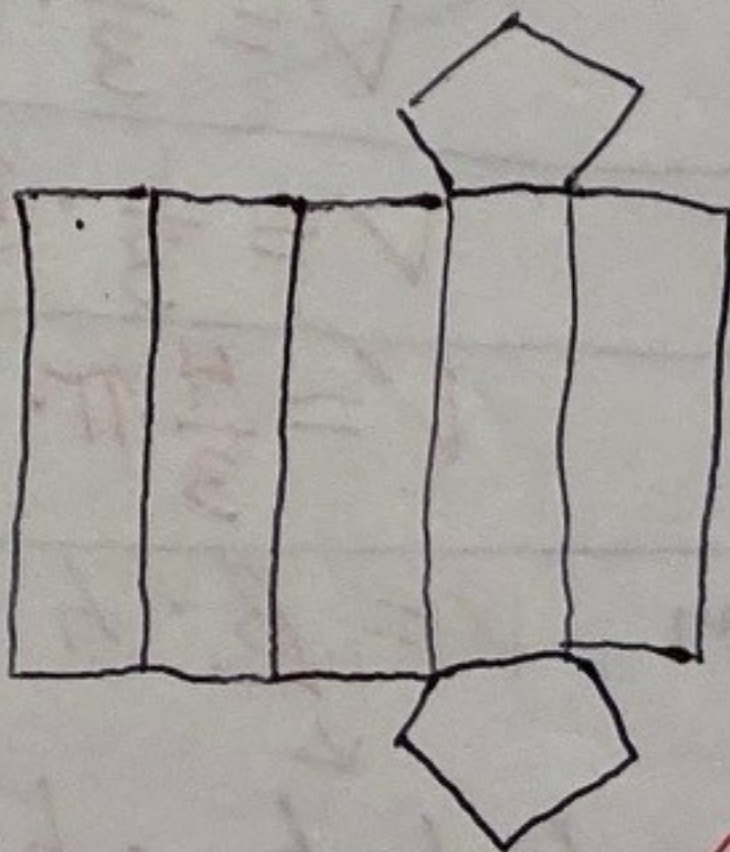
8.) What figures are these nets:



Prism

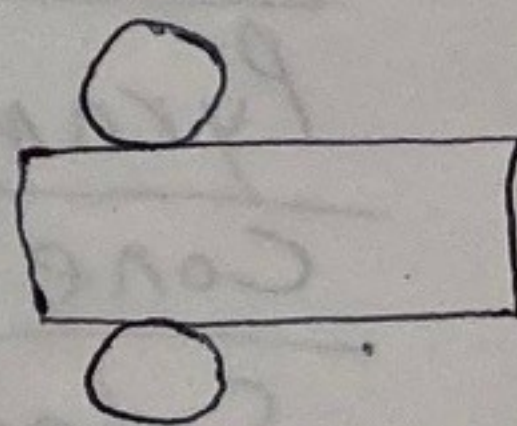


Triangular Pyramid



Pentagon Prism (5 sides)

(Hexagon, Septagon, Octagon, Nonagon, Decagon)

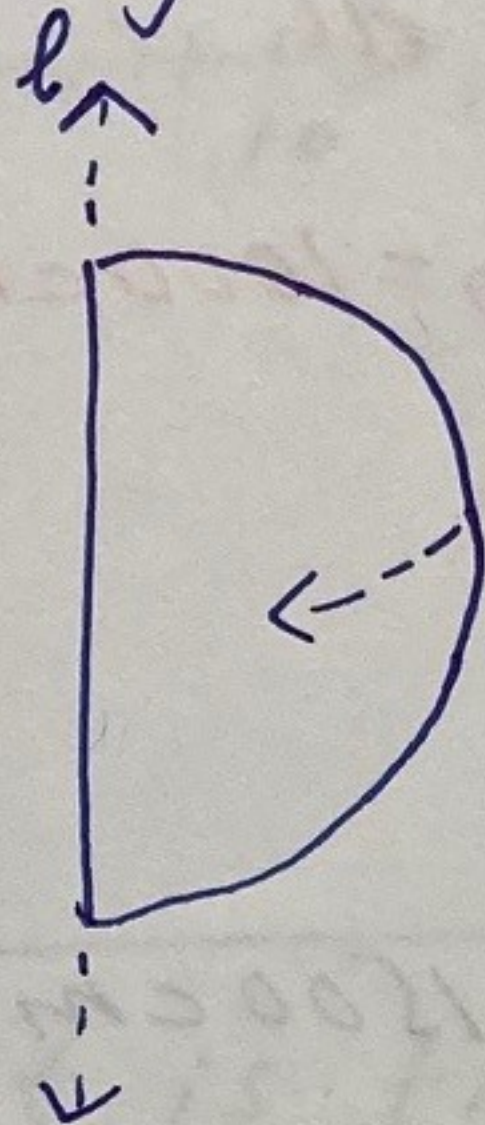


Cylinder



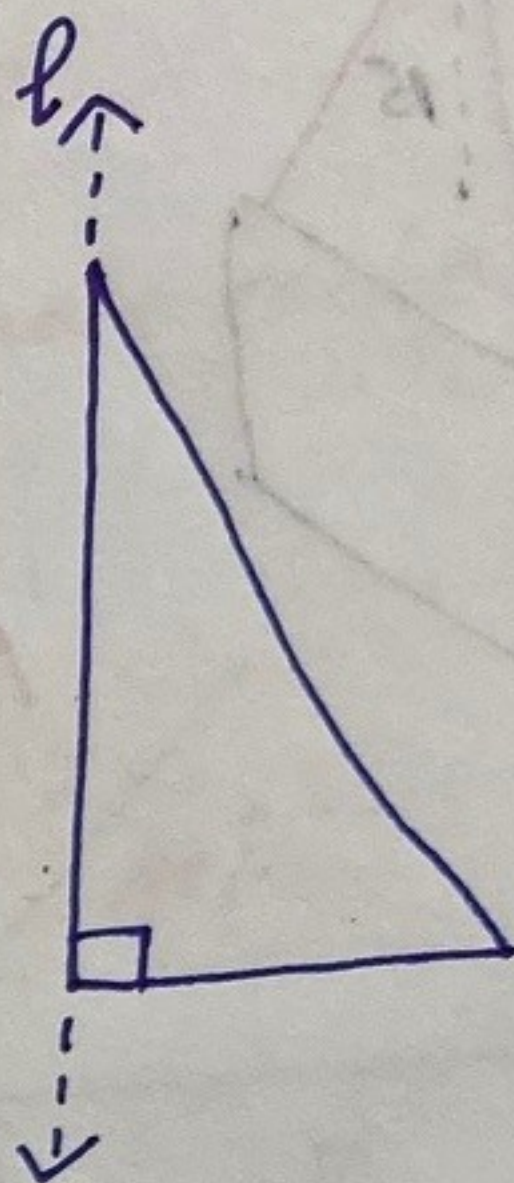
9.) What figure is generated?

a) A semicircle is rotated around a line containing its diameter.

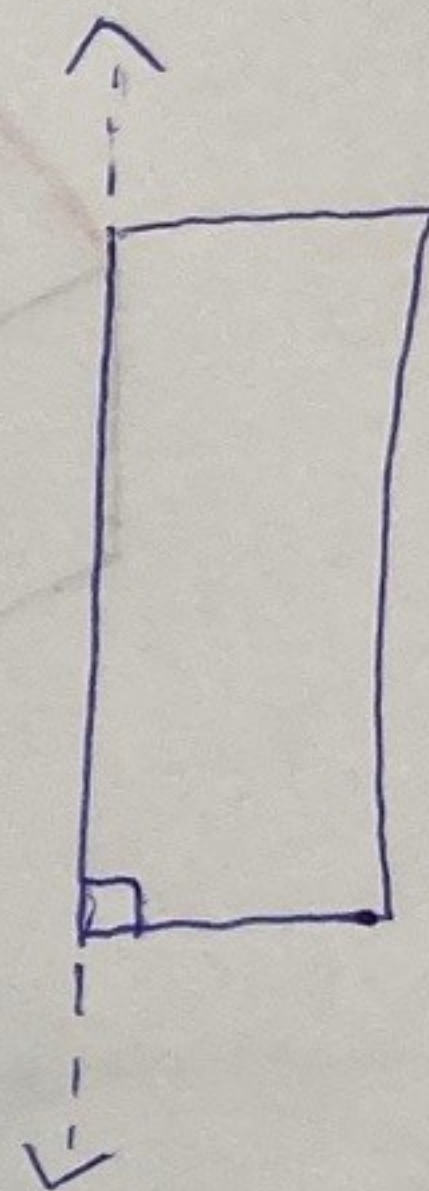


Sphere

b) A right triangle is rotated around a line.



Cone



Cylinder

### Volume Formulas

Rectangular Prism

$$V = B \cdot h$$

$$V = s^3$$

Cube

Cylinder

$$V = \underbrace{\pi \cdot r^2}_B \cdot h$$

Pyramid

$$V = \frac{1}{3} \cdot B \cdot h$$

Cone

$$V = \frac{1}{3} \cdot \underbrace{\pi \cdot r^2}_B \cdot h$$

Sphere

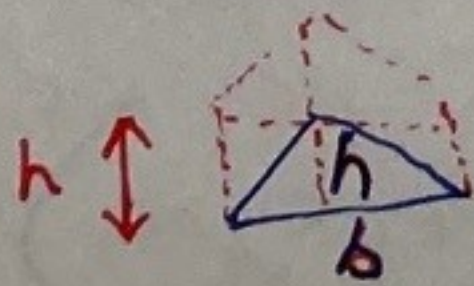
$$V = \frac{4}{3} \cdot \pi \cdot r^3$$

Hemisphere  
 $V = \frac{2}{3} \cdot \pi \cdot r^3$

Triangular Prism

$$V = \underbrace{B}_\Delta \cdot h$$

$$\frac{1}{2} \cdot b \cdot h \cdot h$$



B = base area

~~length width~~

b = base

in a triangle

